EXERCISE 1.1

- 1 is the multiplicative identity
 - Multiplicative inverse
- 2. Rational number

(ii) Commutativity

EXERCISE 2.1

1.
$$x = 18$$

2.
$$t = -1$$

3.
$$x = -2$$

2.
$$t = -1$$
 3. $x = -2$ **4.** $z = \frac{3}{2}$ **5.** $x = 5$

5.
$$x = 5$$

6.
$$x = 0$$

7.
$$x = 40$$

8.
$$x = 10$$

9.
$$y = \frac{7}{3}$$

8.
$$x = 10$$
 9. $y = \frac{7}{3}$ **10.** $m = \frac{4}{5}$

EXERCISE 2.2

1.
$$x = \frac{27}{10}$$
 2. $n = 36$ **3.** $x = -5$

3.
$$x = -5$$

4.
$$x = 8$$

5.
$$t = 2$$

6.
$$m = \frac{7}{5}$$

7.
$$t = -2$$

8.
$$y = \frac{2}{3}$$

9.
$$z = 2$$

10.
$$f = 0.6$$

EXERCISE 3.1

- **1.** (a) 1, 2, 5, 6, 7
- (b) 1, 2, 5, 6, 7

(c) 1, 2

(d) 2

- 2. A polygon with equal sides and equal angles.
 - (i) Equilateral triangle
- (ii) Square
- (iii) Regular hexagon

EXERCISE 3.2

- 1. (a) $360^{\circ} 250^{\circ} = 110^{\circ}$
- (b) $360^{\circ} 310^{\circ} = 50^{\circ}$
- (i) $\frac{360^{\circ}}{9} = 40^{\circ}$
- (ii) $\frac{360^{\circ}}{15} = 24^{\circ}$
- 3. $\frac{360}{24} = 15 \text{ (sides)}$ 4. Number of sides = 24
- **5.** (a) No; (Since 22 is not a divisor of 360)
 - No; (because each exterior angle is $180^{\circ} 22^{\circ} = 158^{\circ}$, which is not a divisor of 360°).
- The equilateral triangle being a regular polygon of 3 sides has the least measure of an interior **6.** (a) angle = 60° .
 - (b) By (a), we can see that the greatest exterior angle is 120° .

EXERCISE 3.3

- **1.** (i) BC(Opposite sides are equal)
- (ii) ∠DAB (Opposite angles are equal)
- (iii) OA (Diagonals bisect each other)
- (iv) 180° (Interior opposite angles, since $\overline{AB} \parallel \overline{DC}$)
- **2.** (i) $x = 80^{\circ}$; $y = 100^{\circ}$; $z = 80^{\circ}$

- (ii) $x = 130^{\circ}$; $y = 130^{\circ}$; $z = 130^{\circ}$
- (iii) $x = 90^{\circ}$; $y = 60^{\circ}$; $z = 60^{\circ}$
- (iv) $x = 100^{\circ}$; $y = 80^{\circ}$; $z = 80^{\circ}$

- (v) $y = 112^{\circ}; x = 28^{\circ}; z = 28^{\circ}$
- 3. (i) Can be, but need not be.
 - (ii) No; (in a parallelogram, opposite sides are equal; but here, $AD \neq BC$).
 - (iii) No; (in a parallelogram, opposite angles are equal; but here, $\angle A \neq \angle C$).
- **4.** A kite, for example
- 5. 108°; 72°;
- **6.** Each is a right angle.

- 7. $x = 110^{\circ}$; $y = 40^{\circ}$; $z = 30^{\circ}$
- **8.** (i) x = 6; y = 9 (ii) x = 3; y = 13;
- **9.** $x = 50^{\circ}$
- 10. $\overline{NM} \parallel \overline{KL}$ (sum of interior opposite angles is 180°). So, KLMN is a trapezium.
- **11.** 60°

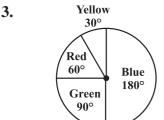
12. $\angle P = 50^{\circ}; \angle S = 90^{\circ}$

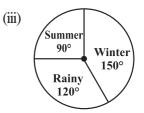
EXERCISE 3.4

- **1.** (b), (c), (f), (g), (h) are true; others are false.
- **2.** (a) Rhombus; square.
- (b) Square; rectangle
- **3.** (i) A square is 4 sided; so it is a quadrilateral.
 - (ii) A square has its opposite sides parallel; so it is a parallelogram.
 - (iii) A square is a parallelogram with all the 4 sides equal; so it is a rhombus.
 - (iv) A square is a parallelogram with each angle a right angle; so it is a rectangle.
- **4.** (i) Parallelogram; rhombus; square; rectangle.
 - (ii) Rhombus; square
- (iii) Square; rectangle
- 5. Both of its diagonals lie in its interior.
- **6.** $\overline{AD} \parallel \overline{BC}$; $\overline{AB} \parallel \overline{DC}$. So, in parallelogram ABCD, the mid-point of diagonal \overline{AC} is O.

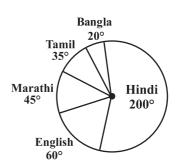
EXERCISE 4.1

- 1. (i) 200 (ii) Light music (iii) Classical 100, Semi classical 200, Light 400, Folk 300
- 2. (i) Winter (ii) Winter 150° , Rainy 120° , Summer 90°





- - (i) Hindi (ii) 30 marks
- (iii) Yes
- 5.



EXERCISE 4.2

- 1. (a) Outcomes \rightarrow A, B, C, D
 - (b) HT, HH, TH, TT (Here HT means Head on first coin and Tail on the second coin and so on).
- 2. Outcomes of an event of getting
 - (i) (a) 2, 3, 5
- (b) 1, 4, 6
- (ii) (a) 6
- (b) 1, 2, 3, 4, 5

- 3. (a) $\frac{1}{5}$ (b) $\frac{1}{13}$ (c) $\frac{4}{7}$ 4. (i) $\frac{1}{10}$ (ii) $\frac{1}{2}$ (iii) $\frac{2}{5}$
- 5. Probability of getting a green sector = $\frac{3}{5}$; probability of getting a non-blue sector = $\frac{4}{5}$
- **6.** Probability of getting a prime number = $\frac{1}{2}$; probability of getting a number which is not prime = $\frac{1}{2}$

Probability of getting a number greater than $5 = \frac{1}{6}$

Probability of getting a number not greater than $5 = \frac{5}{6}$

EXERCISE 5.1

- **1.** (i) 1
- (ii) 4
- (iii) 1
- (iv) 9
- (v) 6
- (vi) 9

- (vii) 4
- (viii) 0

- 2. These numbers end with
 - 7 (i)
- (ii) 3
- (iii) 8
- (iv) 2
- $(\mathbf{v}) \quad 0$
- (vi) 2

- (vii) 0 (viii) 0
- **3.** (i), (iii)
- **4.** 10000200001, 100000020000001
- **5.** 1020304030201, 101010101²

6. 20, 6, 42, 43

- 7. (i) 25
- (ii) 100
- (iii) 144
- (i) 1+3+5+7+9+11+13
 - 1+3+5+7+9+11+13+15+17+19+21
- (i) 24
- (ii) 50
- (iii) 198

EXERCISE 5.2

- 1024 **1.** (i)
- (ii) 1225
- (iii) 7396
- (iv) 8649
- (v) 5041
- (vi) 2116

- **2.** (i) 6,8,10 (ii) 14,48,50
- (iii) 16,63,65
- (iv) 18,80,82

EXERCISE 5.3

- **1.** (i) 1, 9 (ii) 4, 6
- (iii) 1, 9
- (iv) 5

- **2.** (i), (ii), (iii)
- **3.** 10, 13
- **4.** (i) 27 (ii) 20
- (iii) 42
- (iv) 64
- (v) 88 (vi) 98

- 77 (viii) 96 (vii) 7; 42
- (ix) 23
- (x) 90
- (iv) 3; 78
- (v) 2; 54
- (vi) 3; 48

- 7;6 **6.** (i)
- (ii) 5; 30 (ii) 13; 15
- (iii) 7, 84 (iii) 11; 6
- (vi) 5; 23
- (v) 7; 20
- (vi) 5; 18

7. 49

5. (i)

- **8.** 45 rows; 45 plants in each row
- **9.** 900
- **10.** 3600

EXERCISE 5.4

- **1.** (i) 48
- (ii) 67
- (iii) 59
- (iv) 23
- (v) 57
- (vi) 37

- (viii) 89 (vii) 76
- (ix) 24
- (x) 32
- (xi) 56
- (xii) 30

- (i) 1 2.
- (ii) 2
- (iii) 2
- (iv) 3
- (v) 3

- 3. (i) 1.6
- (ii) 2.7
- (iii) 7.2
- (iv) 6.5
- (v) 5.6

- 4. (i) 2; 20
- (ii) 53; 44 (iii) 1; 57 (ii) 14; 42
- (iv) 41; 28
- (v) 31; 63

(i) 4; 23 5.

- (iii) 4; 16
- (iv) 24; 43
- (v) 149; 81

6. 21 m

- 7. (a) 10 cm
- (b) 12 cm

- **8.** 24 plants
- 9. 16 children

EXERCISE 6.1

- **1.** (ii) and (iv)
- 2. (i) 3

- (iii) 3
- (iv) 5
- (v) 10

- **3.** (i) 3
- (ii) 2 (ii) 2
- (iii) **5**
- (iv) 3
- (v) 11

4. 20 cuboids

EXERCISE 6.2

- **1.** (i) 4 (ii) 8
- (iii) 22
- (iv) 30
- (v) 25
- (vi) 24

(viii) 36 (vii) 48

False (ii) True

- (ix) 56
- (iii) False
- (iv) False
- (v) False
- (vi) False

(vii) True

2. (i)

EXERCISE 7.1

- **1.** (a) 1:2 (b) 1:2000 (c) 1:10
- **2.** (a) 75% (b) $66\frac{2}{3}$ % **3.** 28% students **4.** 25 matches **5.** ₹ 2400
- **6.** 10%, cricket \rightarrow 30 lakh; football \rightarrow 15 lakh; other games \rightarrow 5 lakh

EXERCISE 7.2

- **1.** ₹ 2,835
- **2.** ₹ 14,560
- **3.** ₹ 2,000
- 4. ₹ 5,000
- **5.** ₹ 1,050

EXERCISE 7.3

- **1.** (i) About 48,980 (ii) 59,535
- **2.** 5,31,616 (approx)

3. ₹ 38,640

EXERCISE 8.1

1. (i) 0 (ii) ab + bc + ac

- (iii) $-p^2q^2 + 4pq + 9$
- (iv) $2(l^2 + m^2 + n^2 + lm + mn + nl)$
- **2.** (a) 8a 2ab + 2b 15 (b) 2xy 7yz + 5zx + 10xyz
 - (c) $p^2q 7pq^2 + 8pq 18q + 5p + 28$

EXERCISE 8.2

- **1.** (i) 28*p* (ii)
 - (ii) $-28p^2$
- (iii) $-28p^2q$
- (iv) $-12p^4$
- (v) 0

- **2.** pq; 50 mn; 100 x^2y^2 ; 12 x^3 ; 12 mn^2p
- 3.

$\frac{\text{First monomial} \to}{\text{Second monomial}} \downarrow$	2x	-5 <i>y</i>	$3x^2$	-4 <i>xy</i>	$7x^2y$	$-9x^2y^2$
2x	$4x^2$	-10 <i>xy</i>	$6x^3$	$-8x^2y$	$14x^3y$	$-18x^3y^2$
-5 <i>y</i>	-10 <i>xy</i>	$25y^2$	$-15x^2y$	$20xy^2$	$-35x^2y^2$	$45x^2y^3$
$3x^2$	$6x^3$	$-15x^2y$	$9x^{4}$	$-12x^3y$	$21x^4y$	$-27x^4y^2$
- 4 <i>xy</i>	$-8x^2y$	$20xy^2$	$-12x^3y$	$16x^2y^2$	$-28x^3y^2$	$36x^3y^3$
$7x^2y$	$14x^3y$	$-35x^2y^2$	$21x^4y$	$-28x^3y^2$	$49x^4y^2$	$-63x^4y^3$
$-9x^2y^2$	$-18x^3y^2$	$45x^2y^3$	$-27x^4y^2$	$36x^3y^3$	$-63x^4y^3$	$81x^4y^4$

176 MATHEMATICS

4. (i) $105a^7$ (ii) 64pqr

(iii) $4x^4y^4$

(iv) 6abc

5. (i) $x^2y^2z^2$ (ii) $-a^6$

(iii) $1024v^6$

(iv) $36a^2b^2c^2$ (v) $-m^3n^2p$

EXERCISE 8.3

4pq + 4pr**1.** (i)

(ii) $a^2b - ab^2$

(iii) $7a^3b^2 + 7a^2b^3$

 $4a^3 - 36a$ (iv)

 $(\mathbf{v}) = 0$

2. (i) ab + ac + ad(iii) $6p^3 - 7p^2 + 5p$ (ii) $5x^2y + 5xy^2 - 25xy$

 $a^2bc + ab^2c + abc^2$

(iv) $4p^4q^2 - 4p^2q^4$

(ii) $-\frac{3}{5}x^3y^3$

(iii) $-4p^4q^4$

4. (a) $12x^2 - 15x + 3$;

(b) $a^3 + a^2 + a + 5$;

(i) 5 (ii) 8

5. (a) $p^2 + q^2 + r^2 - pq - qr - pr$

(b) $-2x^2 - 2y^2 - 4xy + 2yz + 2zx$

(c) $5l^2 + 25ln$

(d) $-3a^2-2b^2+4c^2-ab+6bc-7ac$

EXERCISE 8.4

1. (i) $8x^2 + 14x - 15$

(ii) $3y^2 - 28y + 32$

(iii) $6.25l^2 - 0.25m^2$

(iv) ax + 5a + 3bx + 15b

(v) $6p^2q^2 + 5pq^3 - 6q^4$

(vi) $3a^4 + 10a^2b^2 - 8b^4$

2. (i) $15 - x - 2x^2$

(ii) $7x^2 + 48xy - 7y^2$

(iii) $a^3 + a^2b^2 + ab + b^3$

(iv) $2p^3 + p^2q - 2pq^2 - q^3$ **3.** (i) $x^3 + 5x^2 - 5x$

(ii) $a^2b^3 + 3a^2 + 5b^3 + 20$

(iii) $t^3 - st + s^2t^2 - s^3$

(iv) 4*ac*

(v) $3x^2 + 4xy - y^2$

(vi) $x^3 + y^3$

(vii) $2.25x^2 - 16y^2$

(viii) $a^2 + b^2 - c^2 + 2ab$

EXERCISE 9.1

1. $0.88 \,\mathrm{m}^2$

2. 7 cm

3. 660 m²

4. 252 m^2

5. 45 cm²

6. 24 cm^2 , 6 cm

7. ₹810

8. 140 m

9. 119 m²

10. Area using Jyoti's way = $2 \times \frac{1}{2} \times \frac{15}{2} \times (30 + 15) \text{ m}^2 = 337.5 \text{ m}^2$,

Area using Kavita's way = $\frac{1}{2} \times 15 \times 15 + 15 \times 15 = 337.5 \text{ m}^2$

11. 80 cm^2 , 96 cm^2 , 80 cm^2 , 96 cm^2

EXERCISE 9.2

1. (a)

2. 144 m

3. 10 cm

4. 11 m²

5. 5 cans

6. Similarity \rightarrow Both have same heights. Difference \rightarrow one is a cylinder, the other is a cube. The cube has larger lateral surface area

7. 440 m^2

8. 322 cm

9. $1980 \,\mathrm{m}^2$

10. 704 cm^2

EXERCISE 9.3

1. (a) Volume

(b) Surface area

- (c) Volume
- 2. Volume of cylinder B is greater; Surface area of cylinder B is greater.
- **4.** 450
- **5.** 1 m
- **6.** 49500 L

7. (i) 4 times (ii) 8 times

8. 30 hours

EXERCISE 10.1

- 1. (i) $\frac{1}{9}$ (ii) $\frac{1}{16}$
- (iii) 32

- (ii) $\frac{1}{2^6}$
- (iii) $(5)^4$

- 3. (i) 5 (ii) $\frac{1}{2}$
- (iii) 29
- (iv) 1

- **4.** (i) 250 (ii) $\frac{1}{60}$
- 5. m = 2
- **6.** (i) -1

7. (i) $\frac{625t^4}{2}$ (ii) 5^5

EXERCISE 10.2

- 1. (i) 8.5×10^{-12}
- (ii) 9.42×10^{-12}

(iii) 6.02×10^{15}

- (iv) 8.37×10^{-9}
- (v) 3.186×10^{10}

(iii) 0.00000003

1000100000 (iv)

0.00000302

- (ii) 45000 (v) 5800000000000
- (vi) 3614920

- 3. (i) 1×10^{-6}
- (ii) 1.6×10^{-19}

- (iv) 1.275×10^{-5}
- (v) 7×10^{-2}

(iii) 5×10^{-7}

4. 1.0008×10^2

EXERCISE 11.1

1. No

2. (i)

- Parts of red pigment 7 12 20 8 32 96 Parts of base 56 160
- **3.** 24 parts
- **4.** 700 bottles
- 5. 10^{-4} cm; 2 cm
- **6.** 21 m

- 7. (i) 2.25×10^7 crystals
- (ii) 5.4×10^6 crystals
- **8.** 4 cm

- **9.** (i) 6 m
- (ii) 8 m 75 cm **10.** 168 km

EXERCISE 11.2

2. $4 \rightarrow 25,000$; $5 \rightarrow 20,000$; $8 \rightarrow 12,500$; $10 \rightarrow 10,000$; $20 \rightarrow 5,000$

Amount given to a winner is inversely proportional to the number of winners.

3.
$$8 \rightarrow 45^{\circ}$$
, $10 \rightarrow 36^{\circ}$, $12 \rightarrow 30^{\circ}$

1. (i), (iv), (v)

9.
$$1\frac{1}{2}$$
 hours **10.** (i) 6 days (ii) 6 persons **11.** 40 minutes

EXERCISE 12.1

(vi)
$$4x$$

(vii)
$$10$$
 (viii) x^2y^2

2. (i)
$$7(x-6)$$

(ii)
$$6(p-2a)$$

(iii)
$$7a(a+2)$$

(ii)
$$6(p-2q)$$
 (iii) $7a(a+2)$ (iv) $4z(-4+5z^2)$

(v)
$$10 lm(2l + 3a)$$

(vi)
$$5xy(x-3y)$$
 (vii) $5(2a^2-3b^2+4c^2)$
(ix) $xyz(x+y+z)$ (x) x

(x)
$$xy(ax + by + cz)$$

(viii)
$$4a(-a+b-c)$$

3. (i) $(x+8)(x+y)$

(ii)
$$(3x+1)(5y-2)$$

(iii)
$$(a+b)(x-y)$$

(iv)
$$(5p+3)(3q+5)$$
 (v) $(z-7)(1-xy)$

(iii)
$$(a+b)(x-y)$$

EXERCISE 12.2

1. (i)
$$(a+4)^2$$

(ii)
$$(p-5)^2$$

(iii)
$$(5m + 3)$$

(ii)
$$(p-5)^2$$
 (iii) $(5m+3)^2$ (iv) $(7y+6z)^2$

(v)
$$4(x-1)^2$$

(vi)
$$(11b-4c)^2$$
 (vii) $(l-m)^2$ (viii) $(a^2+b^2)^2$

(viii)
$$(a^2 + b^2)^2$$

2. (i)
$$(2p-3q)(2p+3q)$$
 (ii) $7(3a-4b)(3a+4b)$ (iii) (' (iv) $16x^3(x-3)(x+3)$ (v) $4lm$ (vi) $(3xy-4)(3xy+4)$

(ii)
$$7(3a-4b)(3a+4b)$$

(iii)
$$(7x-6)(7x+6)$$

(iv)
$$16x^3(x-3)(x+3)$$

(ii)
$$I(3a - 4b)(3a + 4b)$$

(vi)
$$(3xy - 4)(3xy + 4)$$

(vii)
$$(x - y - z) (x - y + z)$$

(vii)
$$(x-y-z)(x-y+z)$$
 (viii) $(5a-2b+7c)(5a+2b-7c)$

3. (i)
$$x(ax + b)$$

(i)
$$x(ax + b)$$
 (ii) $7(p^2 + 3q^2)$ (iii) $2x(x^2 + y^2 + z^2)$
(iv) $(m^2 + n^2)(a + b)$ (v) $(l + 1)(m + 1)$ (vi)

(vi)
$$(y+9)(y+z)$$

(vii)
$$(5y + 2z)(y - 4)$$

(viii)
$$(2a+1)(5b+2)$$

(ix)
$$(3x-2)(2y-3)$$

4. (i)
$$(a-b)(a+b)(a^2+b^2)$$
 (ii) $(p-3)(p+3)(p^2+9)$

(ii)
$$(2a + 1)(2b + 2)(n^2$$

(iii)
$$(x-y-z)(x+y+z)[x^2+(y+z)^2]$$
 (iv) $z(2x-z)(2x^2-2xz+z^2)$

(iv)
$$z(2x-z)(2x^2-2xz+z^2)$$

(v)
$$(a-b)^2 (a+b)^2$$

5. (i)
$$(p+2)(p+4)$$

(ii)
$$(q-3)(q-7)$$

(iii)
$$(p+8)(p-2)$$

EXERCISE 12.3

1. (i)
$$\frac{x^3}{2}$$
 (ii) $-4y$ (iii) $6pqr$ (iv) $\frac{2}{3}x^2y$ (v) $-2a^2b^4$

(iv)
$$\frac{2}{3}x^2y$$

(v)
$$-2a^2b^4$$

2. (i)
$$\frac{1}{3}(5x-6)$$
 (ii) $3y^4-4y^2+5$ (iii) $2(x+y+z)$

(ii)
$$3y^4 - 4y^2 + 5$$

(iii)
$$2(x + y + z)$$

(iv)
$$\frac{1}{2}(x^2 + 2x + 3)$$
 (v) $q^3 - p^3$

(v)
$$q^3 - p^3$$

- 3. (i) 2x 5 (ii) 5
- (iii) 6v
- (iv) xy

- **4.** (i) 5(3x + 5)

- (ii) 2y(x+5) (iii) $\frac{1}{2}r(p+q)$ (iv) $4(y^2+5y+3)$
- (x + 2) (x + 3)
- y + 2 (ii) m 16

- (iii) 5(p-4) (iv) 2z(z-2) (v) $\frac{5}{2}q(p-q)$
- (vi) 3(3x - 4y)
- (vii) 3y(5y-7)

EXERCISE 13.1

1. (a) 36.5° C

- (b) 12 noon
- (c) 1 p.m, 2 p.m.
- 36.5° C; The point between 1 p.m. and 2 p.m. on the x-axis is equidistant from the two points (d) showing 1 p.m. and 2 p.m., so it will represent 1.30 p.m. Similarly, the point on the y-axis, between 36° C and 37° C will represent 36.5° C.
- (e) 9 a.m. to 10 a.m., 10 a.m. to 11 a.m., 2 p.m. to 3 p.m.
- (i) ₹4 crore **2.** (a)
- (ii) ₹8 crore
- (b) (i) ₹7 crore
- (ii) ₹8.5 crore (approx.)
- ₹4 crore
- (d) 2005
- **3.** (a) (i) 7 cm
- (ii) 9 cm
- (b) (i) 7 cm
- (ii) 10 cm
- 2 cm (d) 3 cm (c)
- (e) Second week

(f) First week

- At the end of the 2nd week
- Tue, Fri, Sun **4.** (a)
- (b) 35° C
- (c) 15° C
- (d) Thurs

- 4 units = 1 hour**6.** (a)
- (b) $3\frac{1}{2}$ hours
- Yes; This is indicated by the horizontal part of the graph (10 a.m. 10.30 a.m.) (d)
- Between 8 a.m. and 9 a.m. (e)
- 7. (iii) is not possible

EXERCISE 13.2

- (i) 20 km (ii) 7.30 a.m. (c) (i) Yes (ii) ₹200 (iii) ₹3500 **1.** (b)
- **2.** (i) Yes (ii) No

JUST FOR FUN

1. More about Pythagorean triplets

We have seen one way of writing pythagorean triplets as 2m, $m^2 - 1$, $m^2 + 1$.

A pythagorean triplet a, b, c means $a^2 + b^2 = c^2$. If we use two natural numbers m and n(m > n), and take $a = m^2 - n^2$, b = 2mn, $c = m^2 + n^2$, then we can see that $c^2 = a^2 + b^2$.

Thus for different values of m and n with m > n we can generate natural numbers a, b, c such that they form Pythagorean triplets.

For example: Take, m = 2, n = 1.

Then, $a = m^2 - n^2 = 3$, b = 2mn = 4, $c = m^2 + n^2 = 5$, is a Pythagorean triplet. (Check it!)

For, m = 3, n = 2, we get,

a = 5, b = 12, c = 13 which is again a Pythagorean triplet.

Take some more values for m and n and generate more such triplets.

- 2. When water freezes its volume increases by 4%. What volume of water is required to make 221 cm³ of ice?
- **3.** If price of tea increased by 20%, by what per cent must the consumption be reduced to keep the expense the same?
- **4.** Ceremony Awards began in 1958. There were 28 categories to win an award. In 1993, there were 81 categories.
 - (i) The awards given in 1958 is what per cent of the awards given in 1993?
 - (ii) The awards given in 1993 is what per cent of the awards given in 1958?
- **5.** Out of a swarm of bees, one fifth settled on a blossom of *Kadamba*, one third on a flower of *Silindhiri*, and three times the difference between these two numbers flew to the bloom of *Kutaja*. Only ten bees were then left from the swarm. What was the number of bees in the swarm? (Note, *Kadamba*, *Silindhiri* and *Kutaja* are flowering trees. The problem is from the ancient Indian text on algebra.)
- **6.** In computing the area of a square, Shekhar used the formula for area of a square, while his friend Maroof used the formula for the perimeter of a square. Interestingly their answers were numerically same. Tell me the number of units of the side of the square they worked on.
- 7. The area of a square is numerically less than six times its side. List some squares in which this happens.
- **8.** Is it possible to have a right circular cylinder to have volume numerically equal to its curved surface area? If yes state when.
- **9.** Leela invited some friends for tea on her birthday. Her mother placed some plates and some *puris* on a table to be served. If Leela places 4 *puris* in each plate 1 plate would be left empty. But if she places 3 *puris* in each plate 1 *puri* would be left. Find the number of plates and number of *puris* on the table.
- 10. Is there a number which is equal to its cube but not equal to its square? If yes find it.
- 11. Arrange the numbers from 1 to 20 in a row such that the sum of any two adjacent numbers is a perfect square.

Answers

2.
$$212\frac{1}{2}$$
 cm³

3.
$$16\frac{2}{3}\%$$

4. (i) 34.5% (ii) 289%

5. 150

6. 4 units

7. Sides = 1, 2, 3, 4, 5 units

8. Yes, when radius = 2 units

9. Number of puris = 16, number of plates = 5

10. – 1

11. One of the ways is, 1, 3, 6, 19, 17, 8 (1 + 3 = 4, 3 + 6 = 9) etc.). Try some other ways.

